

Differential Equations Intro to MATLAB Spring 2022

Ai Hattori

2 Command Practice

2.1 Arithmetic, variables, and your workspace

Exercise 1.

```
2.^3-((3-6)./2)+7.*0.5
```

```
ans = 13
```

```
(3.^2-2*3+4)./(2+7)
```

```
ans = 0.7778
```

```
((3+4.5)./(7.^2-2*9))-((2*1.5-1)./(3-6.2))
```

```
ans = 0.8669
```

```
((sqrt(7)-sqrt(6))./4).^2
```

```
ans = 0.0024
```

Exercise 2.

```
a = 2.^3-((3-6)./2)+7.*0.5;  
b = (3.^2-2*3+4)./(2+7);  
c = ((3+4.5)./(7.^2-2*9))-((2*1.5-1)./(3-6.2));  
d = ((sqrt(7)-sqrt(6))./4).^2;  
(a+b)/c+d^2
```

```
ans = 15.8925
```

```
clear;
```

2.2 Working with arrays

Exercise 3.

```
rowVec = [1.01 17 pi 1/2];  
colVec = [3/4; 15.8; 3; -5];  
matrix = [1 2 3 4; 5 6 7 8; 9 10 11 12; 13 14 15 16];
```

Exercise 4.

```
matrix^2
```

```
ans = 4x4  
    90    100    110    120  
   202    228    254    280  
   314    356    398    440  
   426    484    542    600
```

```
rowVec + colVec
```

```
ans = 4x4
    1.7600    17.7500    3.8916    1.2500
    16.8100    32.8000    18.9416    16.3000
    4.0100    20.0000    6.1416    3.5000
   -3.9900    12.0000   -1.8584   -4.5000
```

```
matrix * colVec
```

```
ans = 4x1
    21.3500
    79.5500
   137.7500
   195.9500
```

```
rowVec * matrix
```

```
ans = 1x4
   120.7843   142.4359   164.0875   185.7391
```

```
rowVec * colVec
```

```
ans = 276.2823
```

```
matrix + rowVec
```

```
ans = 4x4
    2.0100    19.0000    6.1416    4.5000
    6.0100    23.0000    10.1416    8.5000
   10.0100    27.0000    14.1416    12.5000
   14.0100    31.0000    18.1416    16.5000
```

Let A and B two matrices. Then, $A*B$ on MATLAB means matrix multiplication of A and B. Note that the number of rows in A and the number of columns in B (or vice versa) have to match. A^k (where k is a scalar) means the power of the matrix A.

If you wish to calculate corresponding elements in A and B, you must use $A.*B$.

2.3 Functions in MATLAB

Exercise 5.

```
sin(pi)
```

```
ans = 1.2246e-16
```

```
sqrt(1-(cos(pi))^2)
```

```
ans = 0
```

```
atan(1/sqrt(3))-atan(sqrt(3)/3)
```

```
ans = 1.1102e-16
```

Exercise 6.

```
sym(sin(pi))
```

```
ans =
```

```
4967757600021511
40564819207303340847894502572032
```

```
sym(sqrt(1-(cos(pi))^2))
```

```
ans = 0
```

```
sym(atan(1/sqrt(3))-atan(sqrt(3)/3))
```

```
ans =
```

```

$$\frac{1}{9007199254740992}$$

```

Exercise 7.

```
f = @(x) x^2-log(x);
f(1)
```

```
ans = 1
```

```
f(0)
```

```
ans = Inf
```

```
f(exp(1))
```

```
ans = 6.3891
```

```
f(pi)
```

```
ans = 8.7249
```

Exercise 8.

```
f = @(x) x.^2-log(x);
X = 1:100;
f(X)
```

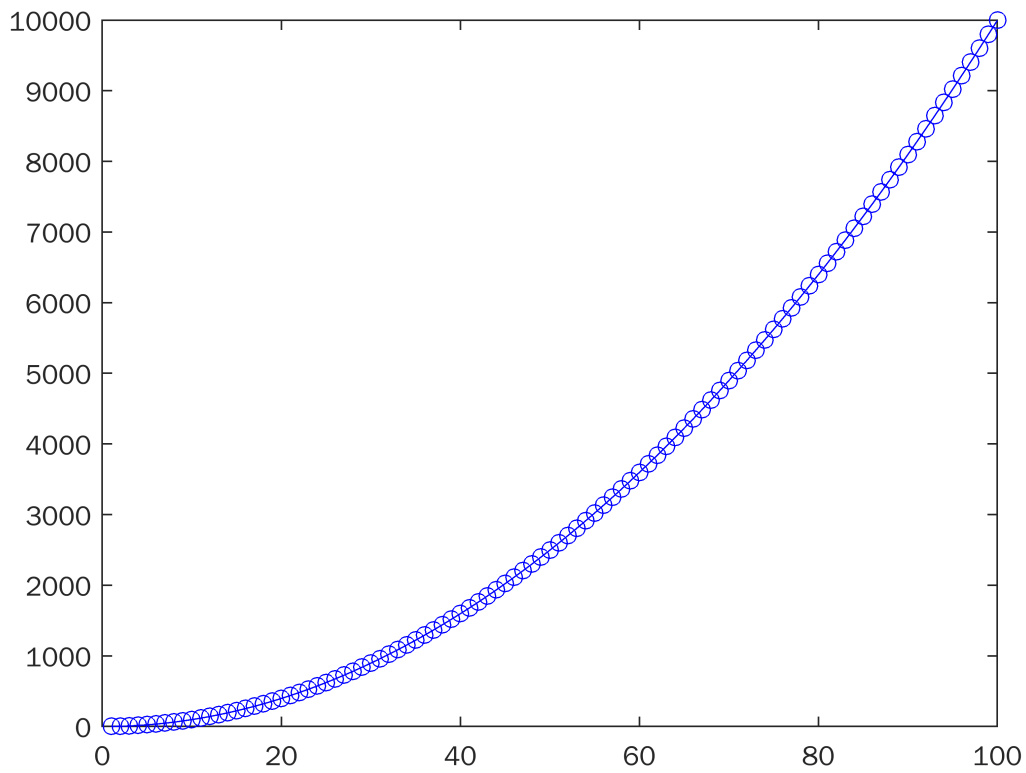
```
ans = 1×100
```

```
103 ×
    0.0010    0.0033    0.0079    0.0146    0.0234    0.0342    0.0471    0.0619 ...
```

2.4 Plotting

Exercise 9.

```
Xdata = 1:100;
Ydata = f(X);
plot(Xdata, Ydata, '-bo')
```



Exercise 10.

```
g = @(x) sin(x);  
h = @(x) cos(x);  
Xdata_2 = linspace(0, 2*pi);  
plot(Xdata_2, g(Xdata_2), Xdata_2,h(Xdata_2))  
legend({'y = sin(x)', 'y = cos(x)'})  
xlabel('0 < x < 2\pi')  
ylabel('Sine Cosine Values')
```

